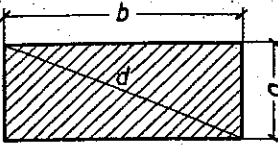
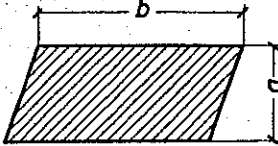
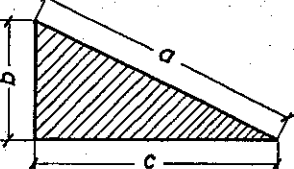
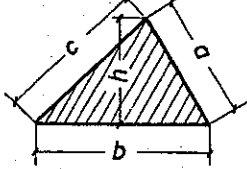
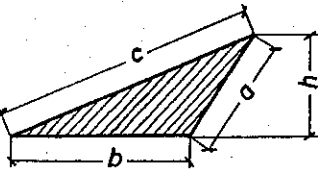
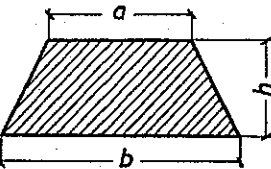
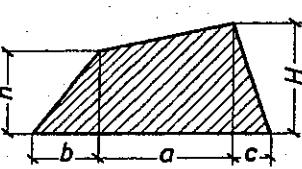
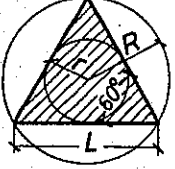
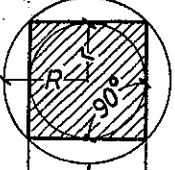
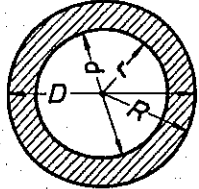
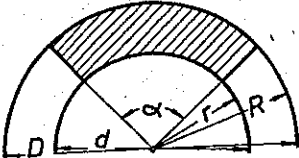
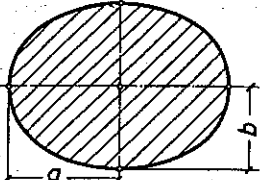
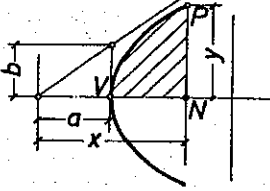
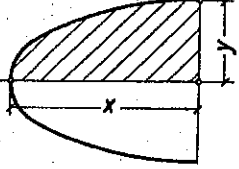
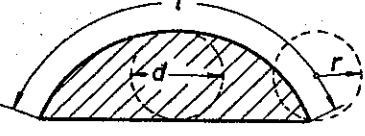
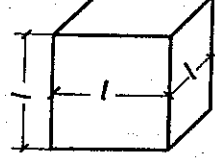
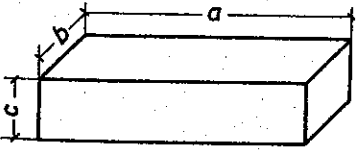
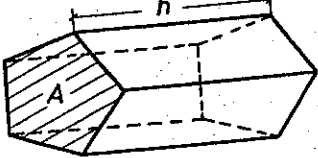
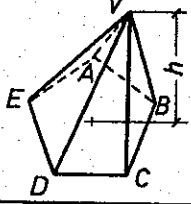
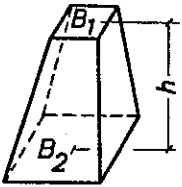
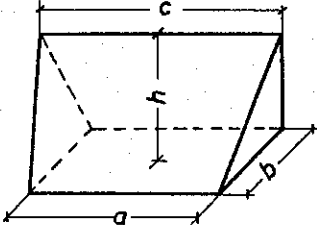
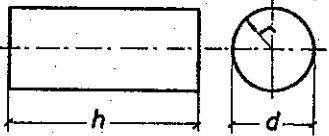
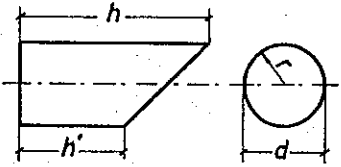
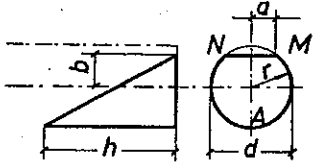
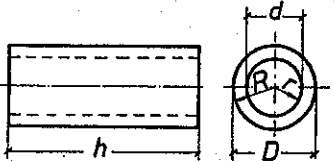
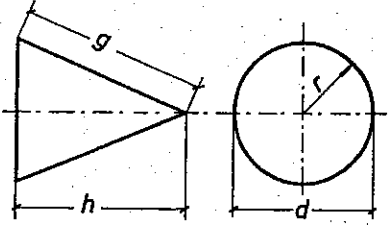
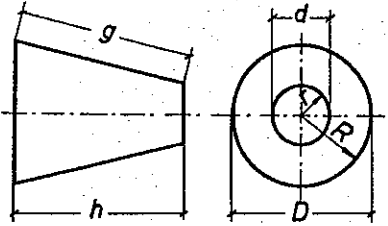
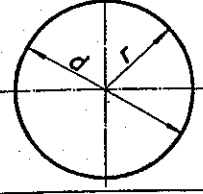
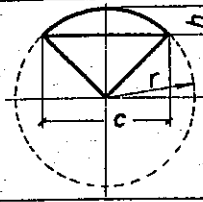
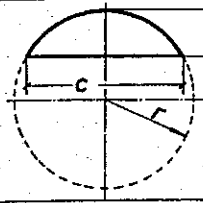
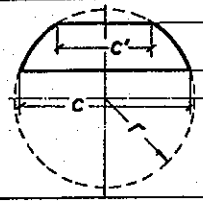
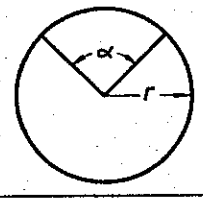
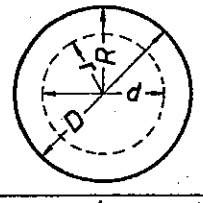
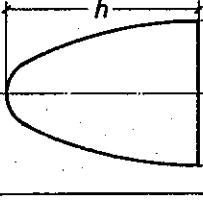
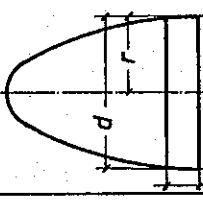
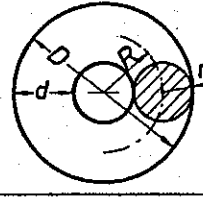
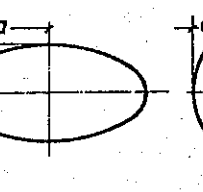
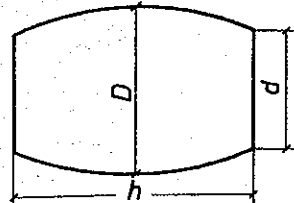
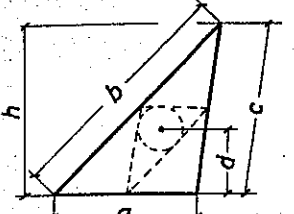
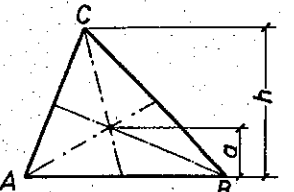
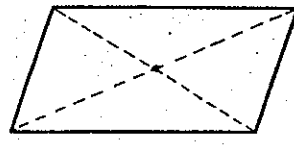
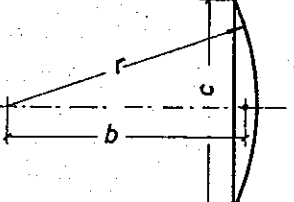
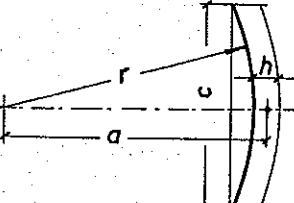
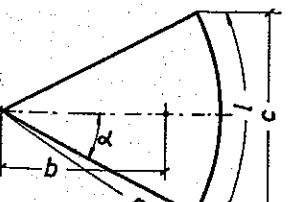
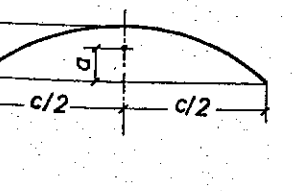
	<p>CUADRADO Area = A</p>	$A = 1/2 d^2 = l^2$ $l = \sqrt{A} = 0,7071 d$ $d = 1,414 \cdot l = 1,414 \sqrt{A}$
	<p>RECTANGULO Area = A = a · b</p>	$A = a \sqrt{d^2 - a^2} = b \sqrt{d^2 - b^2}$ $d = \sqrt{a^2 + b^2}$ $a = \sqrt{d^2 - b^2} = A/b$ $b = \sqrt{d^2 - a^2} = A/a$
	<p>PARALELOGRAMO</p>	<p>Area = A</p> $A = a \cdot b$ $a = A/b \quad ; \quad b = A/a$
	<p>TRIANGULO RECTANGULO Area = A = b · c / 2</p>	$a = \sqrt{b^2 + c^2}$ $b = \sqrt{a^2 - c^2}$ $c = \sqrt{a^2 - b^2}$
	<p>TRIANGULO ACUTANGULO Area = A = b · h / 2</p>	$A = \frac{b}{2} \sqrt{a^2 - \left(\frac{a^2 + b^2 - c^2}{2b}\right)^2}$ <p>Semiperimetro $S = (a + b + c) / 2$</p> $A = \sqrt{S(S-a)(S-b)(S-c)}$
	<p>TRIANGULO OBTUSANGULO Area = A = $\frac{b \cdot h}{2}$</p>	$A = \frac{b}{2} \sqrt{a^2 - \left(\frac{c^2 - a^2 - b^2}{2b}\right)^2}$ $S = \frac{1}{2}(a + b + c)$ $A = \sqrt{S(S-a)(S-b)(S-c)}$
	<p>TRAPECIO</p>	<p>Area = A</p> $A = \frac{a + b}{2} h$
	<p>TRAPEZOIDE</p>	<p>Area = A</p> $A = \frac{(H+h)a + bh + cH}{2}$
	<p>TRIANGULO EQUILATERO INSCRITO</p>	$r = 0,289 L \quad ; \quad R = 0,577 L$ $L = 1,732 R = 3,464 r$ $A = 5,192 r^2 = 1,299 R^2 = 0,433 L^2$
	<p>CUADRADO INSCRITO</p>	$r = 0,5 L \quad ; \quad R = 0,707 L$ $L = 1,414 R = 2 r$ $A = L^2 = 2R^2 = 4r^2$

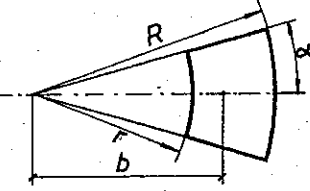
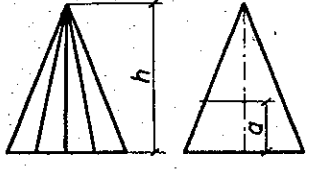
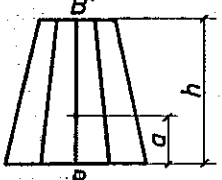
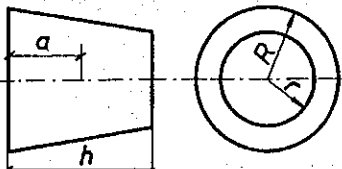
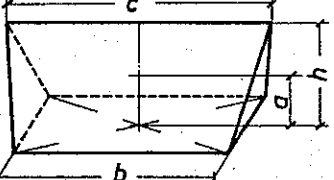
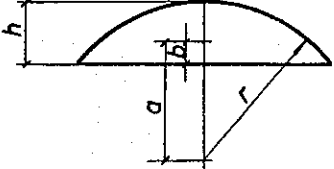
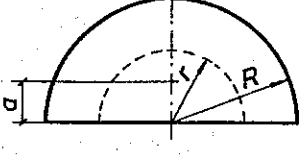
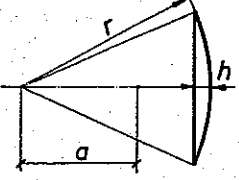
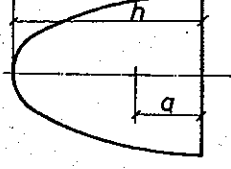
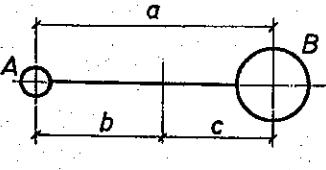
	<p>PENTAGONO</p> $R = 0,851 \cdot l \quad ; \quad r = 0,688 \cdot l$ $l = 1,176 \cdot R = 1,453 \cdot r$ $A = 1,720 \cdot l^2$ $A = 2,378 \cdot R^2 = 3,633 \cdot r^2$
	<p>HEXAGONO</p> $A = 2,598 \cdot l^2 = 2,598 \cdot R^2$ $A = 3,464 \cdot r^2$ $R = l = 1,155 \cdot r$ $r = 0,866 \cdot l = 0,866 \cdot R$
	<p>HEPTAGONO</p> $R = 1,152 \cdot l$ $r = 1,038 \cdot l$ $l = 0,868 \cdot R = 0,963 \cdot r$ $A = 3,634 \cdot l^2 = 2,736 \cdot R^2 = 3,371 \cdot r^2$
	<p>OCTOGONO</p> $A = 4,828 \cdot l^2 = 2,828 \cdot R^2 = 3,314 \cdot r^2$ $R = 1,307 \cdot l = 1,082 \cdot r$ $r = 1,207 \cdot l = 0,924 \cdot R$ $l = 0,765 \cdot R = 0,828 \cdot r$
	<p>POLIGONO REGULAR</p> $A = \frac{n \cdot l \cdot r}{2} = \frac{n \cdot l}{2} \sqrt{R^2 - \frac{l^2}{4}}$ $R = \sqrt{r^2 + \frac{l^2}{4}}$ $\alpha = \frac{360}{n} \quad ; \quad \beta = 180 - \alpha \quad r = \sqrt{R^2 - \frac{l^2}{4}} \quad ; \quad l = 2 \sqrt{R^2 - r^2}$
	<p>CIRCULO</p> $r = \frac{C}{6,2832} = \sqrt{\frac{A}{3,1416}} = 0,564 \sqrt{A}$ $d = \frac{C}{3,1416} = \sqrt{\frac{A}{0,7854}} = 1,128 \sqrt{A}$ <p>Area = A</p> <p>Circunferencia = C</p> $A = \pi r^2 = 3,1416 r^2 = 0,7854 d^2$ $C = 2\pi r = 6,2832 r = 3,1416 d$ <p>long. arco de 1° = 0,008727 · d</p>
	<p>SECTOR CIRCULAR</p> $l = \frac{r \cdot \alpha \cdot 3,1416}{180} = 0,01745 \cdot r \cdot \alpha = \frac{2A}{r}$ <p>Area = A</p> $A = \frac{1}{2} r l = 0,008727 \alpha r^2$ $\alpha = \frac{57,296 \cdot l}{r} \quad ; \quad r = \frac{2A}{l} = \frac{57,296 \cdot l}{\alpha}$
	<p>SEGMENTO CIRCULAR</p> $c = 2 \sqrt{h(2r-h)} \quad ; \quad A = \frac{r l - c(r-h)}{2}$ <p>Area = A</p> $r = \frac{c^2 + 4h^2}{8h} \quad ; \quad l = 0,01745 r \alpha$ $h = r - \frac{\sqrt{4r^2 - c^2}}{2} \quad ; \quad \alpha = \frac{57,296 \cdot l}{r}$

	<p>CORONA CIRCULAR</p> <p>Area = A</p> $A = \pi(R^2 - r^2) = 3,1416(R^2 - r^2)$ $A = 0,7854(D^2 - d^2)$
	<p>SECTOR DE CORONA CIRCULAR (TRAPECIO CIRCULAR)</p> <p>Angulo del sector = α</p> $A = \frac{\alpha \pi}{360}(R^2 - r^2) = 0,00873 \alpha (R^2 - r^2) =$ $= \frac{\alpha \pi}{4 \times 360}(D^2 - d^2) = 0,00218 \alpha (D^2 - d^2)$
	<p>ELIPSE</p> <p>Area = A; Perímetro = P</p> $A = \pi ab$ <p>Valor aproximado del perímetro</p> $p = \pi \sqrt{2(a^2 + b^2)}$ $p = \pi \sqrt{2(a^2 + b^2) - \frac{(a-b)^2}{2,2}}$
	<p>HIPERBOLA</p> <p>A = Area VNP</p> $A = \frac{x \cdot y}{2} - \frac{a \cdot b}{2} \text{ Hip log } \left(\frac{x}{a} + \frac{y}{b} \right)$
	<p>PARABOLA</p> <p>Area = A = $\frac{2}{3} \cdot xy$</p> <p>El área de la parábola es igual a dos tercios el área del rectángulo de lados x e y.</p>
	<p>CICLOIDE</p> $\text{Area} = A = 3\pi r^2 = 2,3562 d^2 =$ $= 3 \cdot \text{área del círculo generatriz}$ <p>Longitud de la cicloide = $8r = 4d$</p>
	<p>HEXAEDRO O CUBO</p> <p>Volumen = V = l^3</p> $l = \sqrt[3]{V}$
	<p>PARALELEPIPEDO</p> <p>Volumen = V = a · b · c</p> $a = \frac{V}{b \cdot c}; \quad b = \frac{V}{a \cdot c}; \quad c = \frac{V}{a \cdot b}$
	<p>PRISMA</p> <p>Volumen = V</p> <p>Area de la base = A</p> $V = A \cdot h$
	<p>PIRAMIDE</p> <p>Volumen = V</p> <p>Area de la base = A</p> $V = \frac{1}{3} A \cdot h$ <p>Cuando la base es regular, de n lados, l=lado; r y R, radios de los círculos inscrito y circunscrito:</p> $V = \frac{n l r h}{6} = \frac{n l h}{6} \sqrt{R^2 - \frac{l^2}{4}}$

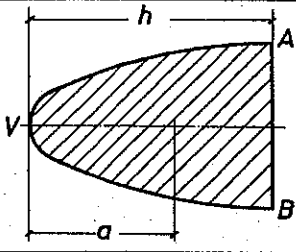
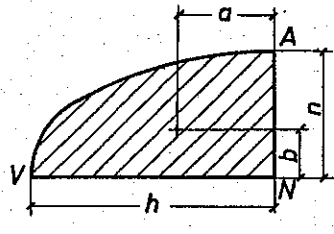
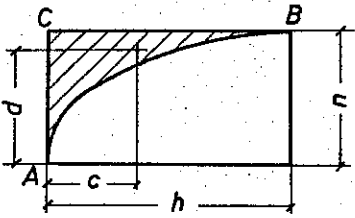
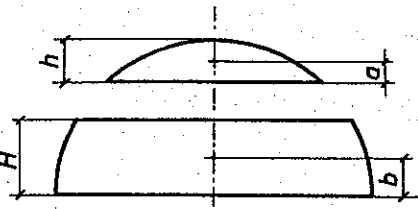
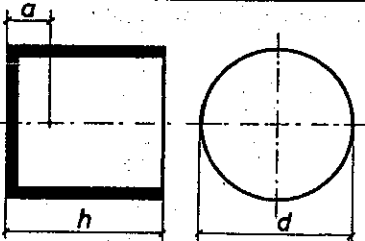
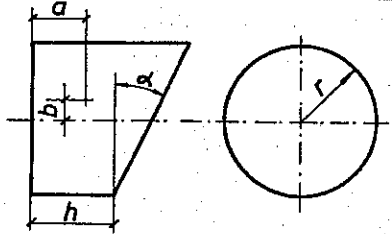
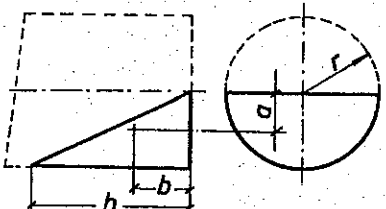
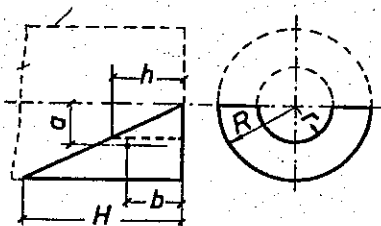
	<p>TRONCO DE PIRAMIDE</p> <p>$B_1 =$ Area de la base menor $B_2 =$ Area de la base mayor $V =$ Volumen</p> $V = \frac{h}{3} (B_1 + B_2 + \sqrt{B_1 \times B_2})$
	<p>CUÑA</p> <p>$V =$ Volumen</p> $V = \frac{(2a + c) b \cdot h}{6}$
	<p>CILINDRO</p> <p>$V =$ Volumen $S =$ Area lateral $A =$ Area total</p> $V = 3,1416 r^2 h = 0,7854 d^2 h$ $S = 6,2832 r h = 3,1416 d h$ $A = 6,2832 (r + h) r = 3,1416 \left(\frac{d}{2} + h\right) d$
	<p>CILINDRO TRUNCADO</p> <p>$V =$ Volumen $S =$ Area lateral</p> $V = 1,5708 r^2 (h + h') = 0,3927 d^2 (h + h')$ $S = 3,1416 r (h + h') = 1,5708 d (h + h')$
	<p>PORCION DE CILINDRO</p> <p>$V =$ Volumen $S =$ Area lateral</p> $V = \left(\frac{2}{3} a^3 \pm b \cdot \text{Area MAN}\right) \frac{h}{r \pm b}$ $S = (a \cdot d \pm b \cdot \text{longitud arco MAN}) \frac{h}{r \pm b}$ <p>+ ó -, según que el área de la base sea mayor o menor que la mitad del círculo.</p>
	<p>CILINDRO HUECO</p> <p>$V =$ Volumen</p> $V = 3,1416 h (R^2 - r^2)$ $V = 0,7854 h (D^2 - d^2)$
	<p>CONO</p> <p>$V =$ Volumen $A =$ Area lateral</p> $V = \frac{3,1416 r^2 h}{3} = 1,0472 r^2 h = 0,2618 d^2 h$ $A = 3,1416 r \sqrt{r^2 + h^2} = 3,1416 r \cdot g = 1,5708 d \cdot g$ $g = \sqrt{r^2 + h^2} = \sqrt{\frac{d^2}{4} + h^2}$
	<p>TRONCO DE CONO</p> <p>$V =$ Volumen $A =$ Area lateral</p> $V = 1,0472 h (R^2 + Rr + r^2) = 0,2618 h (D^2 + Dd + d^2)$ $A = 3,1416 \cdot g (R + r) = 1,5708 (D + d) \cdot g$ $e = R - r ; g = \sqrt{e^2 + h^2} = \sqrt{(R - r)^2 + h^2}$

	<p>ESFERA</p> $V = \frac{4\pi r^3}{3} = \frac{\pi d^3}{6} = 4,1888 r^3 = 0,5236 d^3$ <p>A=Area V=Volumen</p> $A = 4\pi r^2 = \pi d^2 = 12,5664 r^2 = 3,1416 d^2$ $r = \sqrt[3]{\frac{3V}{4\pi}} = 0,6204 \sqrt[3]{V}$
	<p>SECTOR ESFERICO</p> $V = \frac{2\pi r^2 h}{3} = 2,0944 r^2 h$ <p>V=Volumen A=Area total superficie esférica y cónica.</p> $A = 3,1416 r (2h + \frac{c}{2})$ $c = 2 \sqrt{h(2r-h)}$
	<p>SEGMENTO ESFERICO</p> $V = 3,1416 h^2 (r - \frac{h}{3}) = 3,1416 h (\frac{c^2}{8} + \frac{h^2}{6})$ <p>V=Volumen A=Area superficie esférica</p> $A = 2\pi r h = 6,2832 r h = 3,1416 (\frac{c^2}{4} + h^2)$ $C = 2 \sqrt{h(2r-h)} \quad r = \frac{c^2 + 4h^2}{8h}$
	<p>ZONA ESFERICA</p> $V = 0,5236 h (\frac{3c^2}{4} + \frac{3c^2}{4} + h^2)$ <p>V=Volumen A=Area de la superficie esférica</p> $A = 2\pi r h = 6,2832 r h$ $r = \sqrt{\frac{c^2}{4} + (\frac{c^2 - c'^2 - 4h^2}{8h})^2}$
	<p>CUÑA ESFERICA</p> <p>α = Angulo central en grados</p> $V = \frac{\alpha}{360} \times \frac{4\pi r^3}{3} = 0,0116 \alpha r^3$ <p>V=Volumen A=Area superficie esférica</p> $A = \frac{\alpha}{360} \times 4\pi r^2 = 0,0349 \alpha r^2$
	<p>ESFERA HUECA</p> $V = \frac{4\pi}{3} (R^3 - r^3) = 4,1888 (R^3 - r^3) =$ <p>V=Volumen</p> $V = \frac{\pi}{6} (D^3 - d^3) = 0,5236 (D^3 - d^3)$
	<p>PARABOLOIDE</p> $V = \frac{1}{2} \pi r^2 h = 0,3927 d^2 h \quad ; \quad p = \frac{d^2}{8h}$ <p>V=Volumen A=Area</p> $A = \frac{2\pi}{3p} \left[\sqrt{(\frac{d^2}{4} + p^2)^3} - p^3 \right]$
	<p>SEGMENTO PARABOLOIDE</p> <p>V=Volumen</p> $V = \frac{\pi}{2} h (R^2 + r^2) = 1,5708 h (R^2 + r^2) =$ $= \frac{\pi}{8} h (D^2 + d^2) = 0,3927 h (D^2 + d^2)$
	<p>TORO</p> $V = 2\pi^2 R r^2 = 19,739 R r^2 = \frac{\pi^2}{4} D d^2 = 2,4674 D d^2$ <p>V=Volumen A=Area</p> $A = 4\pi^2 R r = 39,478 R r = \pi^2 D d = 9,8696 D d$
	<p>ELIPSOIDE</p> $V = \frac{4\pi}{3} abc = 4,1888 abc$ <p>V=Volumen A=Area</p> <p>Si es de revolución: $b = c$</p> $V = 4,1888 ab^2 \quad ; \quad A = \frac{4\pi}{\sqrt{2}} b \sqrt{a^2 + b^2}$

	<p>BARRIL</p> <p>Quando los lados curvados son arcos de círculo: $V = \frac{1}{12} h(2D^2 + d^2) = 0,262 h(2D^2 + d^2)$</p> <p>Si son arcos de parábola: $V = 0,209 h(2D^2 + Dd + \frac{3}{4} d^2)$</p> <p><i>V = Volumen aproximado</i></p>
	<p>TRIANGULO</p> <p>c.d.g. del perímetro</p> $d = \frac{h(b+c)}{2(a+b+c)}$
	<p>TRIANGULO</p> $a = \frac{h}{3}$
	<p>PARARALELOGRAMO</p> <p>El c.d.g. tanto del perímetro como del área es el punto de intersección de las diagonales.</p>
	<p>SEGMENTO CIRCULAR</p> <p>A = Area</p> $b = \frac{c^3}{12A} = \frac{2}{3} \cdot \frac{r^3 \text{sen}^3 \alpha}{A}$
	<p>ARCO CIRCULAR</p> $a = \frac{r \cdot c}{l} = \frac{c(c^2 + 4h^2)}{8 \cdot l \cdot h}$
	<p>SECTOR CIRCULAR</p> $b = \frac{2rc}{3 \cdot l} = \frac{r^2 c}{3A} = 38,197 \frac{r \cdot \text{sen} \alpha}{\alpha}$ <p>A = Area</p>
	<p>ARCO CIRCULAR</p> $a = \frac{2}{3} h \text{ (aproximada)}$

	<p>PORCION DE ANILLO CIRCULAR</p> $b = 38,197 \frac{(R^3 - r^3) \text{sen } \alpha}{(R^2 - r^2) \alpha}$
	<p>PIRAMIDE Y CONO</p> <p>Sólido $a = \frac{1}{4} h$</p> <p>Superficie cónica $a = \frac{1}{3} h$</p>
	<p>PIRAMIDE TRUNCADA</p> $a = \frac{h (B' + 2 \sqrt{B' \cdot B} + 3B)}{4 (B' + \sqrt{B' \cdot B} + B)}$
	<p>TRONCO DE CONO</p> <p>Sólido $a = \frac{h(R^2 + 2Rr + 3r^2)}{4(R^2 + Rr + r^2)}$</p> <p>Superficie cónica $a = \frac{h(R + 2r)}{3(R + r)}$</p>
	<p>CUÑA</p> $a = \frac{h(b+c)}{2(2b+c)}$
	<p>SEGMENTO ESFERICO</p> $a = \frac{3(2r-h)^2}{4(3r-h)}$ $b = \frac{h(4r-h)}{4(3r-h)}$ <p>Para media esfera $a = b = \frac{3}{8} r$</p>
	<p>MITAD DE UNA ESFERA HUECA</p> $a = \frac{3(R^4 - r^4)}{8(R^3 - r^3)}$
	<p>SECTOR ESFERICO SOLIDO</p> $a = \frac{3}{8} (1 + \cos \alpha) r = \frac{3}{8} (2r - h)$
	<p>PARABOLOIDE SOLIDO</p> $a = \frac{1}{3} h$
	<p>DOS CUERPOS SOLIDOS</p> $b = \frac{A \cdot a}{A + B}$ $c = \frac{B \cdot a}{A + B}$

CENTROS DE GRAVEDAD

	<p>Superficie AVB</p> <p>PARABOLA</p> $a = \frac{3h}{5}$
	<p>MEDIA PARABOLA Superficie AVN</p> $a = \frac{3h}{5} \quad b = \frac{3n}{8}$
	<p>SUPERFICIE ABC</p> $c = \frac{3h}{10} ; \quad d = 0,75n$
	<p>CASQUETE Y ZONA ESFERICA</p> $a = \frac{h}{2} ; \quad b = \frac{H}{2}$
	<p>DEPOSITO Cilindro hueco de bases paralelas</p> $a = \frac{2h^2}{4h+d}$
	<p>CILINDRO DE BASES NO PARALELAS</p> $a = \frac{h}{2} + \frac{r^2 \operatorname{tg}^2 \alpha}{8h}$ $b = \frac{r^2 \operatorname{tg} \alpha}{4h}$
	<p>PARTE DE CILINDRO SOLIDO</p> $a = \frac{3}{16} \pi r ; \quad b = \frac{3}{32} nh$ <p>PARTE DE CILINDRO SUPERFICIE</p> $a = \frac{1}{4} \pi r ; \quad b = \frac{1}{8} nh$
	<p>PARTE DE CILINDRO HUECO</p> $a = \frac{3}{16} \pi \frac{R^4 - r^4}{R^3 - r^3}$ $b = \frac{3}{32} \pi \frac{H^4 - h^4}{H^3 - h^3}$